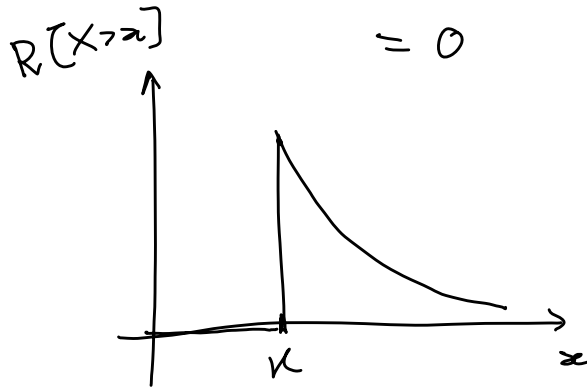


Lecture 5

Pareto distribution

$$P[X > x] \propto \frac{1}{x^\alpha} \text{ --- shape}$$

$$\forall x \geq k \text{ --- minimum}$$



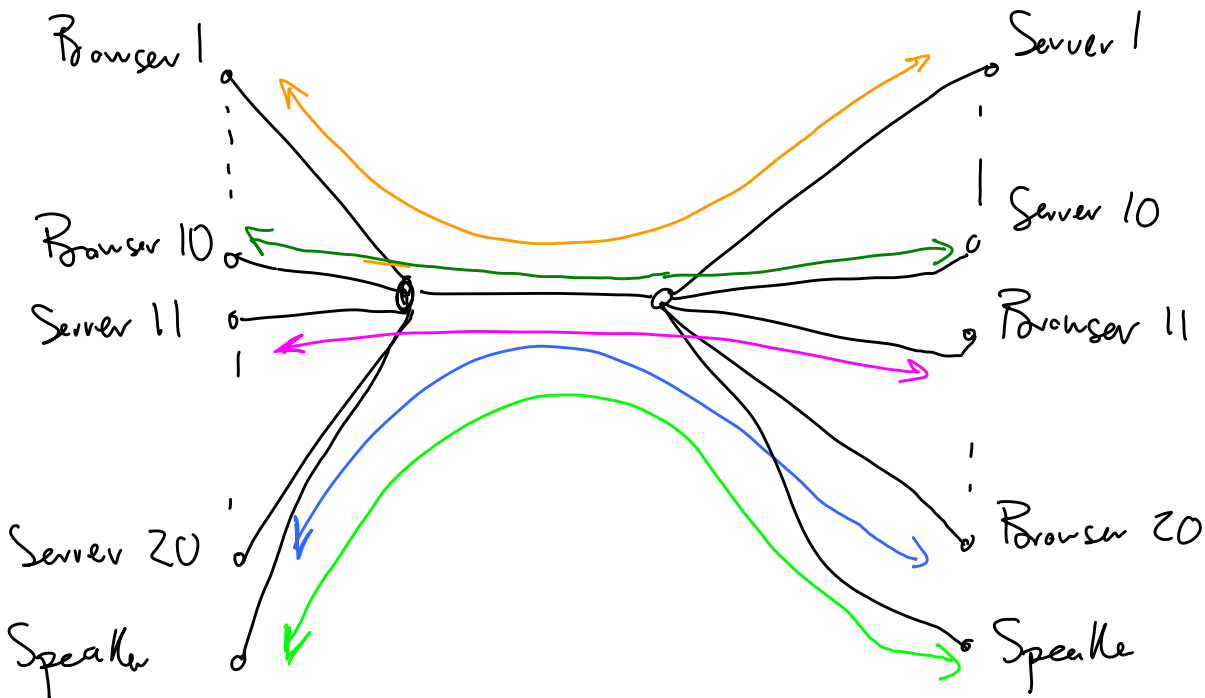
$$x < k$$

$$E[X] = k \frac{\alpha}{\alpha - 1}$$

--- shape

--- burst rate
--- mean interval

$$E[X] = \int_k^\infty P(x) x dx$$



Retx (and Time-outs)



Reliability: detect drop-outs, }
positive acks } → ?

Properties: too short ⇒ too many retx, kills sending rate
too long ⇒ wastes time.

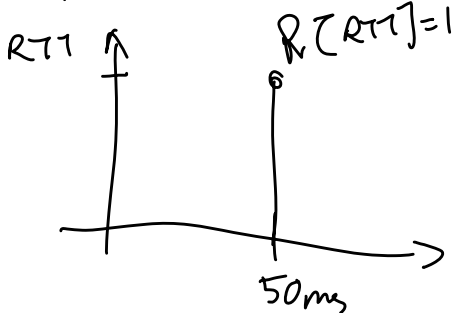
⇒ eg, time such that ack should be very likely received by then.

RTO = retx time-out

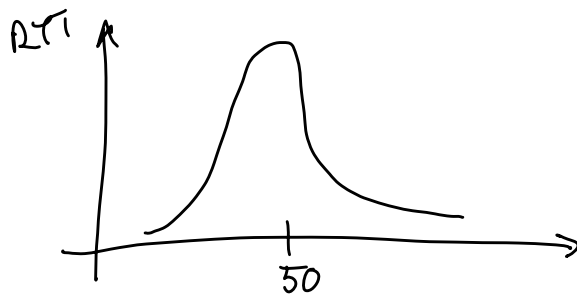
RTT = round-trip time.

RTO should depend on avg RTT

Link A



Link B

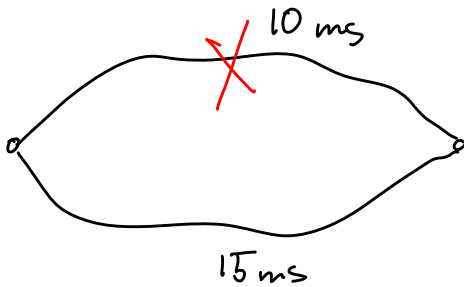
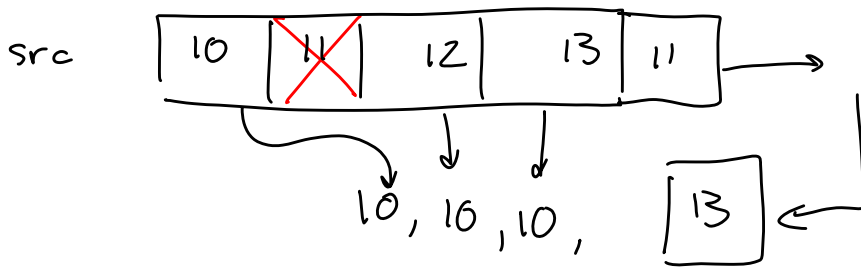


RTO should depend on variability of RTT.

SRTT = sample RTT

RTTVAR = variability of RTT

$RTO \leftarrow SRTT + 4 RTTVAR.$



Strategy	adaptive	smooth
Use latest RTT	perfect	terrible
Global avg	terrible	great.
Compromise	good	good

\hookrightarrow smooth \Rightarrow maintain historical data }
 adaptive \Rightarrow favor latest few samples }

Possible solution: maintain last k samples, and use their avg.

Simpler solution: exponential moving avg

$$SRTT \leftarrow \frac{1}{8} \text{ sample} + \frac{7}{8} SRTT$$